

# SMC analysis of high- $p_T$ events

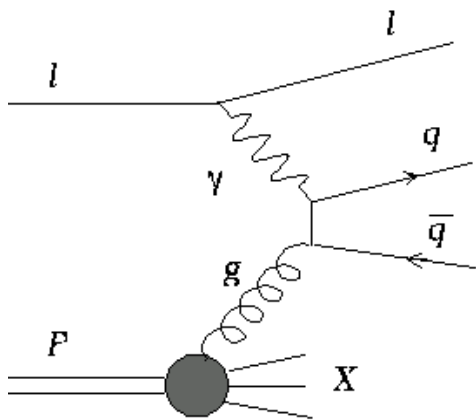
Katarzyna Kowalik

Sołtan Institute for Nuclear Studies

Warsaw, Poland

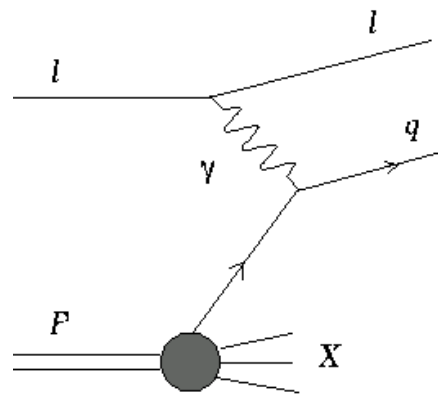
DIS 2004, 14-18/04/04 Štrbské Pleso, Slovakia

# PGF with high- $p_T$ hadrons



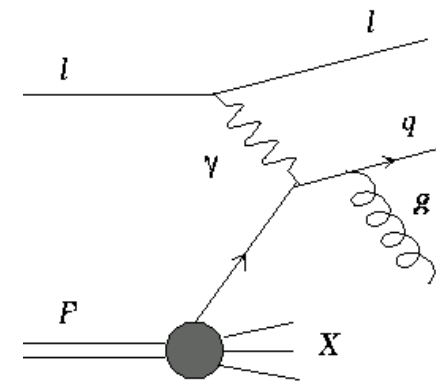
Photon Gluon Fusion

(PGF)  $\propto \frac{\Delta G}{G}$



Leading Process

(LP)

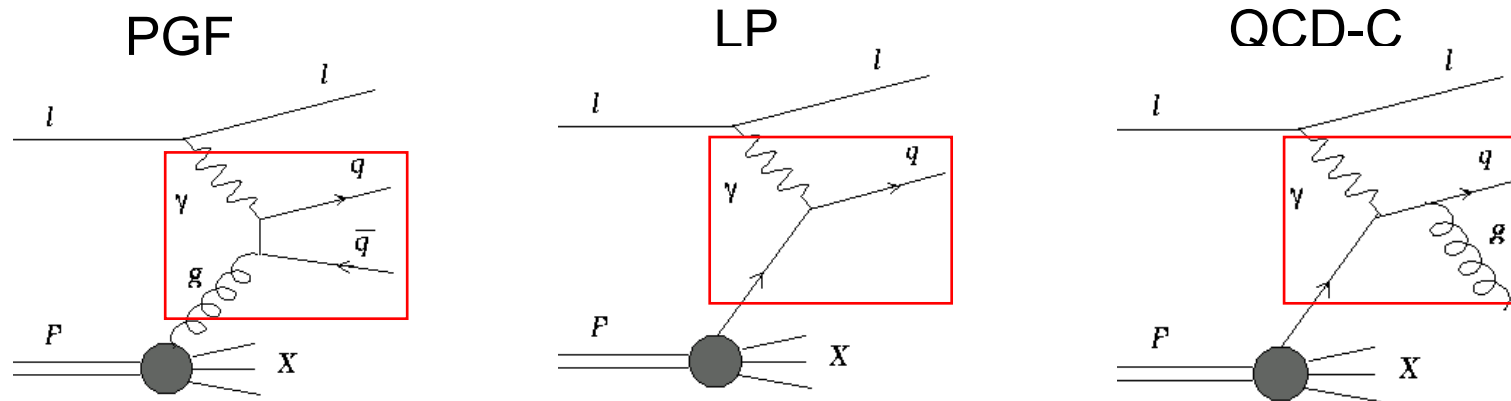


QCD Compton

(QCD-C)

Pairs of high- $p_T$  hadrons more likely in QCD-C and PGF

# $\Delta G/G$ from measured asymmetry $A^{IN \rightarrow lhhX}$



$$A^{IN \rightarrow lhhX} = \frac{\Delta G}{G} \langle \hat{a} \rangle_{LL}^{PGF} R^{PGF} + \frac{\Delta q}{q} \left( \langle \hat{a} \rangle_{LL}^{LP} R^{LP} + \langle \hat{a} \rangle_{LL}^{QCD-C} R^{QCD-C} \right)$$

$\frac{\Delta q}{q}$  taken from inclusive DIS measurements

$\langle \hat{a} \rangle_{LL}$

the asymmetry for hard sub-process

$R$

the fraction of events

Provided by  
MonteCarlo

# $\Delta G/G$ determination for production of pairs of hadrons with high- $p_T$

- Idea proposed by R.D.Carlitz, J.C.Collins and A.H.Mueller, [Phys.Lett.B 214, 229 \(1988\)](#)
- Revisited by A.Bravar,D.von Harrach and A.Kotzinian, [Phys.Lett.B 421, 349 \(1998\)](#)
- Method used in HERMES for photoproduction [HERMES, A.Airapetian et al., Phys.Rev.Lett.84, 2584 \(2000\)](#)

$$\frac{\Delta G}{G} = 0.41 \pm 0.18(\text{stat}) \pm 0.03(\text{sys}) \quad x_g=0.17$$

- **Here application for DIS region, SMC data with  $Q^2 > 1 \text{ GeV}^2$**   
[SMC, B.Adeva et al., submitted to Phys.Rev.D, hep-ex/0402010](#)

# THE SMC EXPERIMENT AT CERN

- Muon beam
- Target
- Wire chambers
- Scintillation hodoscopes
- Iron

Beam:

$\mu^+$  190 GeV

$P_\mu = -0.78 \pm 0.03$

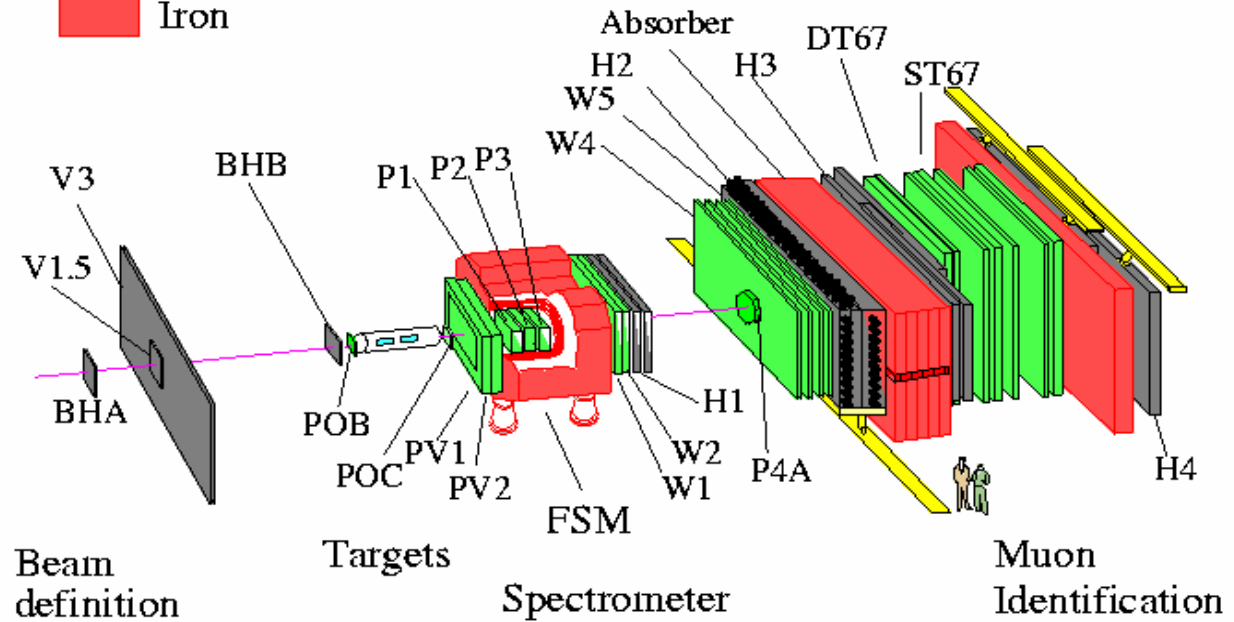
Target:

butanol, ammonia } Proton

d-butanol } Deuteron

$P_{Tp} \sim 0.89$

$P_{Td} \sim 0.50$

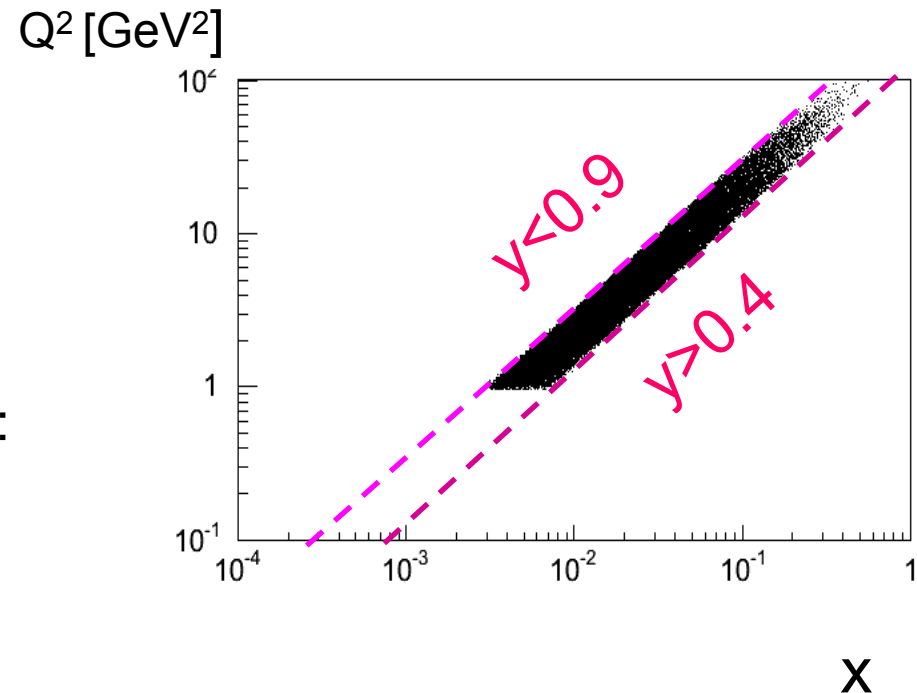


$$A^{IN \rightarrow lhhX} = -\frac{1}{2} \frac{1}{\langle P_\mu P_T f \rangle} \left( \frac{N_u - N_d}{N_u + N_d} + \frac{N_{u'} - N_{d'}}{N_{u'} + N_{d'}} \right)$$

# Data sample for asymmetry calculation

Full SMC statistics with longitudinal target polarization was used

- $\mu\mu'$  and at least 2 hadrons at primary vertex
- Kinematic cuts :  
 $Q^2 > 1 \text{ GeV}^2$  pQCD region  
 $y > 0.4$      $y < 0.9$
- for both hadrons with  $p_T > 0.7 \text{ GeV}$  :  
 $x_F > 0.1$ ,  $z > 0.1$



Statistics after selection: proton ~81 K , deuteron ~75 K

below 0.5% of the inclusive sample

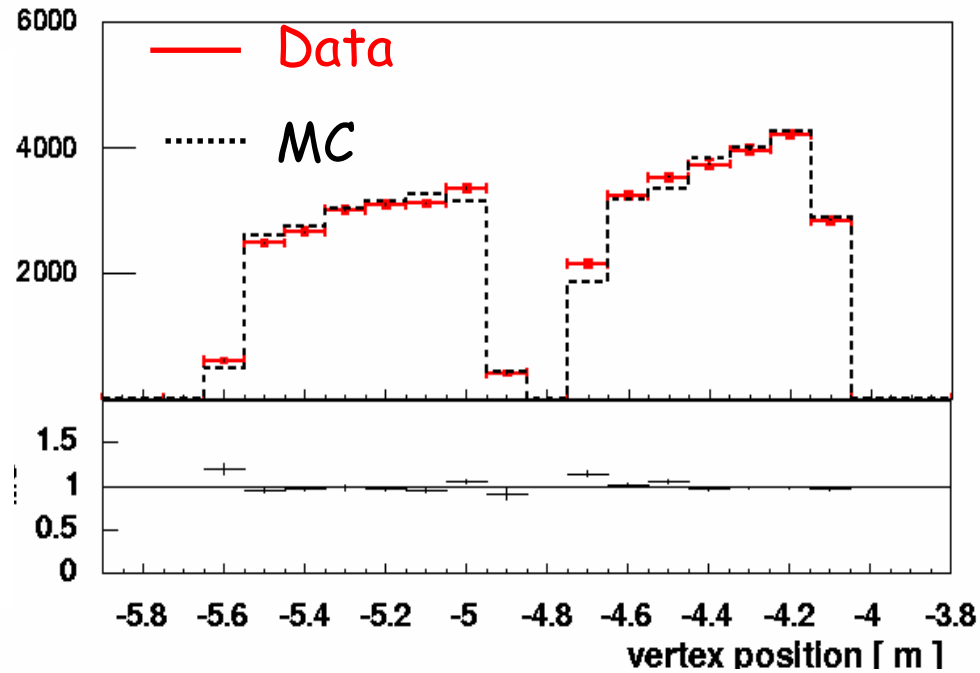
# Monte Carlo studies

- studies for DIS  $\mu$ N interactions for  $E_B=190$  GeV
- **LEPTO simulations,  $Q^2 > 1$  GeV<sup>2</sup>**
- detector and reconstruction effects
  - simulations of trigger conditions
  - geometrical acceptance for hadrons, muons
  - losses in reconstruction (chamber efficiencies)
  - smearing for scattered  $\mu$  and hadrons ( $1/p$ , angles)
  - secondary interaction in target for hadrons

**Important consistency between data and Monte Carlo**

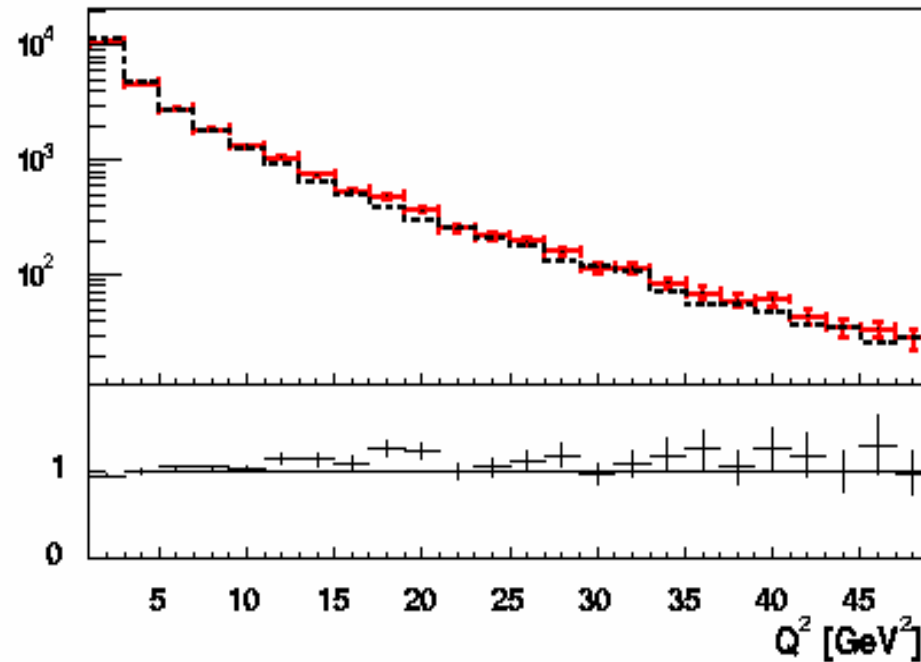
# Kinematic variables

Number of events



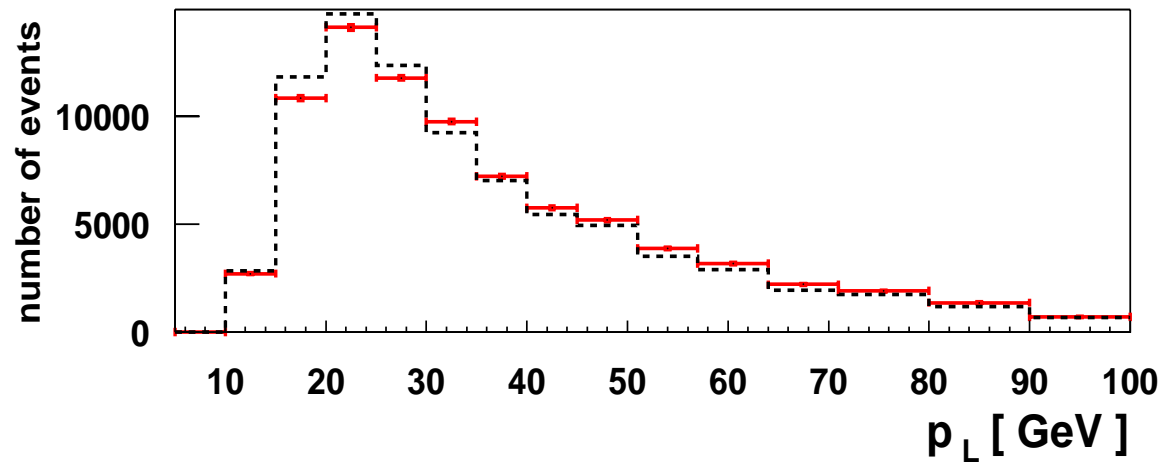
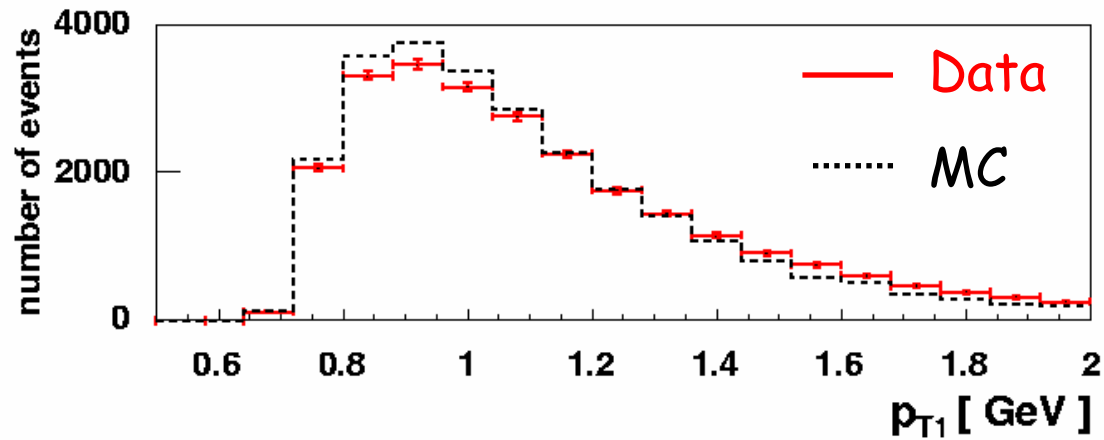
Data/MC

Number of events



Data/MC

## Hadron variables



Data and Monte Carlo agree at the level of 10-25%

To be used for selections of PGF and  $\Delta G$  evaluation

# Contribution of PGF process

- generated sample                      LP=73% QCD-C=19% PGF= 8%
- 2 hadrons with  $p_T > 0.7 \text{ GeV}$    LP=40% QCD-C=35% PGF=25%

Two methods to enhance PGF contribution used

cut selections and neural network classification (NN)

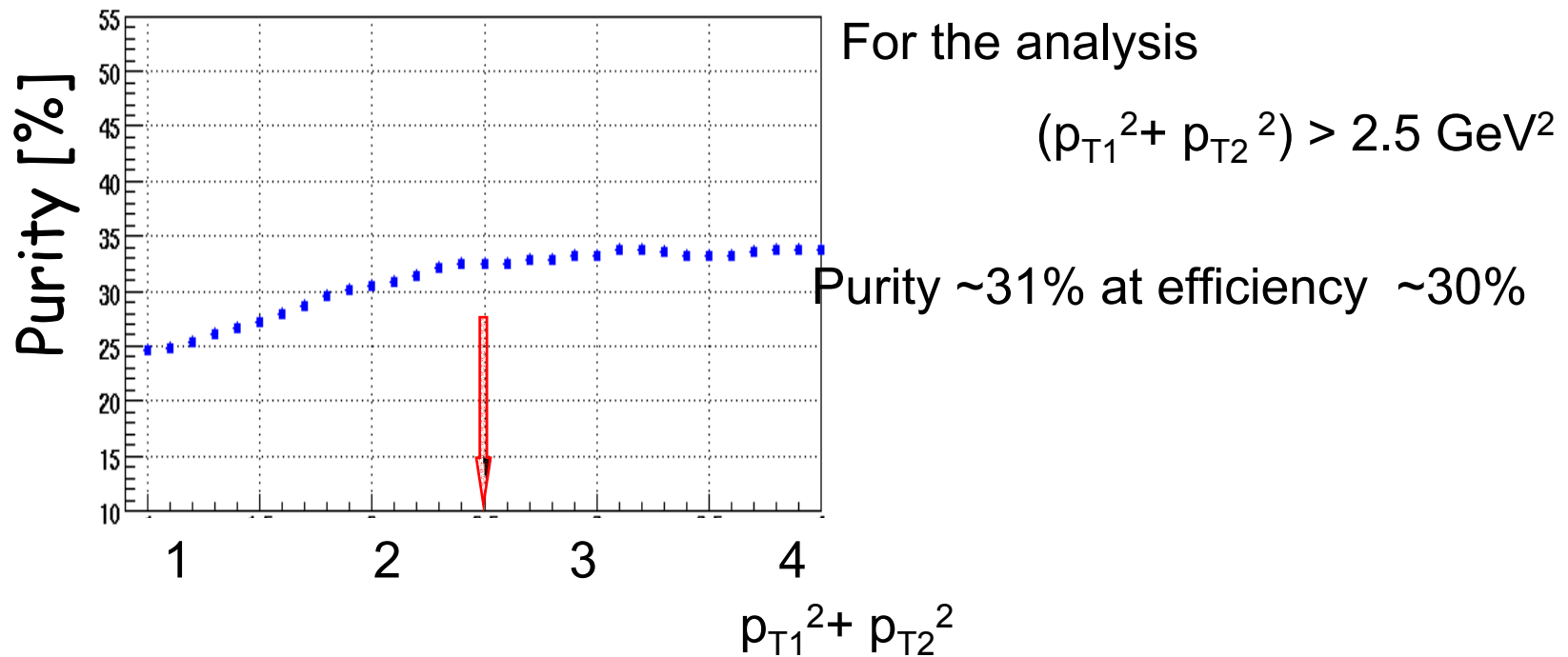
Criteria to judge the selection:

$$\text{Purity} = \frac{\text{PGF}(\text{out})}{\text{LP}(\text{out}) + \text{QCDC}(\text{out}) + \text{PGF}(\text{out})}$$

$$\text{Efficiency} = \frac{\text{PGF}(\text{out})}{\text{PGF}(\text{in})}$$

## Several variables were considered to find the optimal selection:

- various cuts on  $p_T$  of both hadrons
  - oppositely charge hadrons  $\rightarrow$  1% better purity but loss of statistics  $\sim 30\%$ ,
  - invariant mass of the pairs of hadrons,
  - difference between azimuthal angle of hadrons
- } do not improve purity



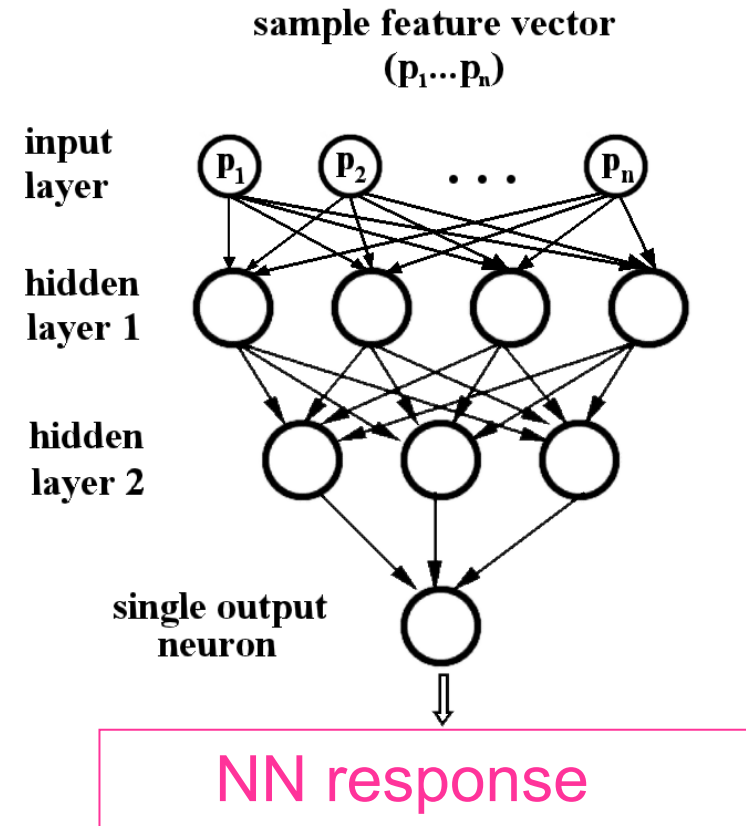
# Neural network

Motivation: optimal use of many correlated variables

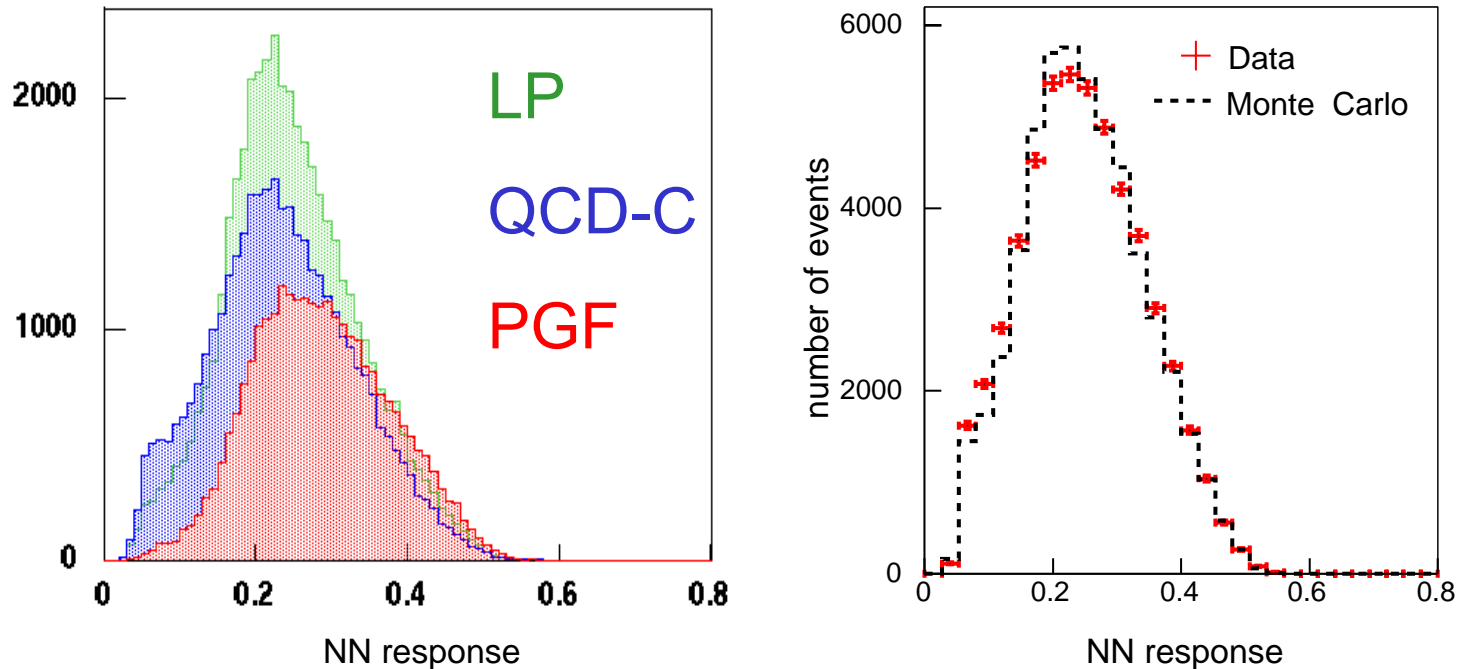
The optimal set of input variables (input layer):

event kinematics ( $x, y, Q^2$ ) and hadron variables ( $E_{1,2}, p_{T1,2}$ , charge, azimuthal angle between  $p_T$  of two selected hadrons)

- output layer: single unit number within range (0,1)  
→ interpretation in terms of background and signal contributions



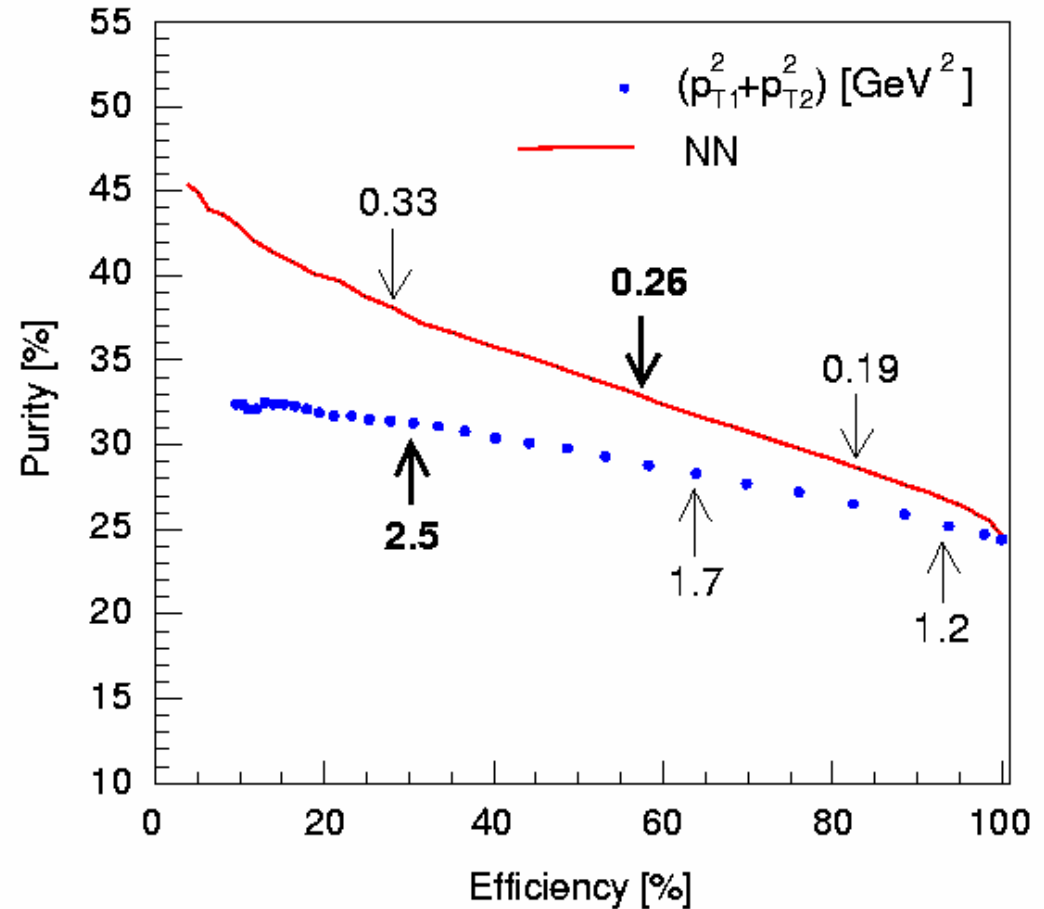
# Neural Network response



number within range  $<0, 1.>$  events at high values of NN response are more likely to be **PGF**

**PGF enriched sample selected by setting the threshold on the NN response**

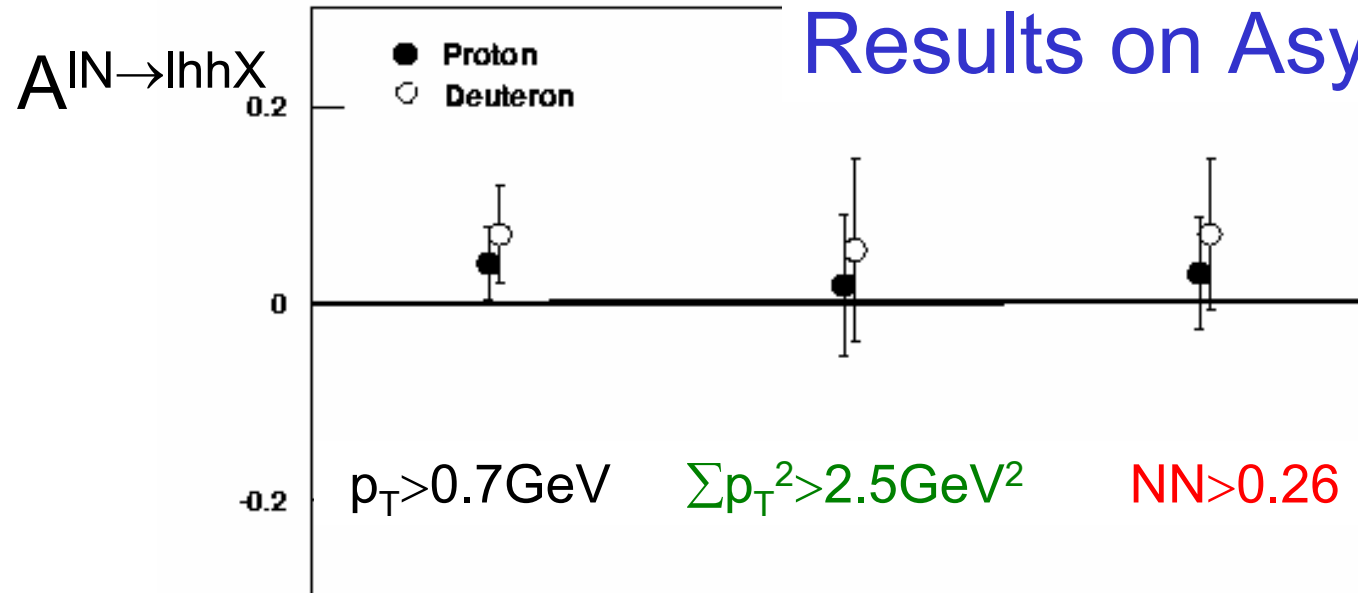
The result of cut selection  
based on  $(p_{T1}^2 + p_{T2}^2)$   
compared to NN



For NN purity is growing with efficiency in full range

→ NN response > 0.26 (purity ~33% at efficiency ~56% )

## Results on Asymmetry



Selection	Proton		Deuteron	
	$A^{IN \rightarrow lhhX}$	$\langle Q^2 \rangle$	$A^{IN \rightarrow lhhX}$	$\langle Q^2 \rangle$
$\sum p_T^2$	$0.018 \pm 0.071 \pm 0.010$	7.1	$0.054 \pm 0.093 \pm 0.008$	7.9
$NN$	$0.030 \pm 0.057 \pm 0.010$	3.3	$0.070 \pm 0.077 \pm 0.010$	4.0

Interpretation of  $A^{IN \rightarrow lhhX}$  in terms of  $\Delta G/G$  requires additional information from MC simulation.

# Inputs to $\Delta G/G$ calculations

From other measurements:

$A_1$  asymmetry taken from fit to  $d\bar{a}$

From MC simulations:

- partonic asymmetries  $a_{LL}$

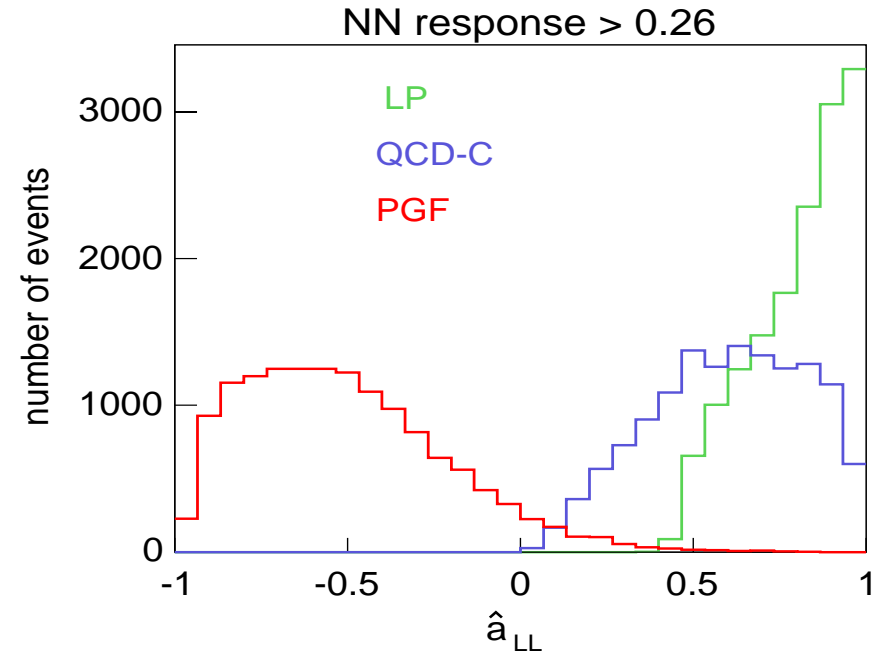
$$\langle a_{LL} \rangle^{LP} \approx 0.8$$

$$\langle a_{LL} \rangle^{QCD-C} \approx 0.6$$

$$\langle a_{LL} \rangle^{PGF} \approx -0.4$$

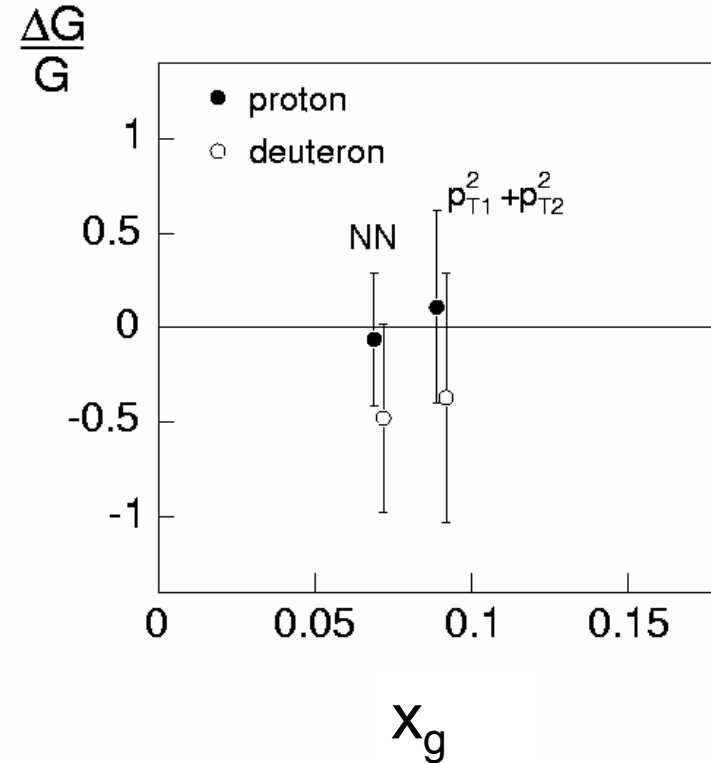
- fractions of processes in the selected sample

Selection	$R^{LP}$	$R^{QCD-C}$	$R^{PGF}$
$\Sigma p_T^2 > 2.5 GeV^2$	26%	43%	31%
$NN > 0.26$	37%	30%	33%



# Gluon polarization

$\Delta G/G$  determined for a given fraction of nucleon momentum carried by gluons  $x_g$



Averaged over proton and deuteron:

Selection	$\Delta G/G \pm \delta(\Delta G/G)_{stat}$	$\langle x_g \rangle_{genPGF}$
$\Sigma p_T^2 > 2.5 \text{ GeV}^2$	$-0.07 \pm 0.40$	0.09
NN $> 0.26$	$-0.20 \pm 0.28$	0.07

## Systematic uncertainty on $\Delta G/G$

Error source	uncertainty on $\Delta G/G$
Precision of $A_1$ fit	0.026
Scale change $Q^2/2$ ; $2Q^2$	0.010
Fragmentation function	0.034
Cutoffs in matrix elements	0.008
Syst.error from $A^{IN \rightarrow lhhX}$	0.062
<b>Total</b>	<b>0.105</b>

The maximum observed deviation of  $R$  or  $a_{LL}$

+20% $R$ / -20% $R$	0.067 / 0.100
+4% $a_{LL}$ / -4% $a_{LL}$	0.015 / 0.017

# Summary

- $\Delta G/G$  was evaluated from the measured asymmetry for events with high- $p_T$  hadrons collected by SMC in DIS region

- Results obtained for cut selection and neural network

$\Delta G/G \pm \text{stat.} \pm \text{sys.}$

$-0.07 \pm 0.40 \pm 0.12$  cut  $\sum p_T^2$

$-0.20 \pm 0.28 \pm 0.10$  NN

point to rather small value of the gluon polarization

precision of  $\Delta G/G$  limited by the statistical error

- Improvement on accuracy of  $\Delta G/G$  in the future:  
COMPASS at CERN, RHIC at BNL